Asymmetric Cryptography presentation of a new mathematical scheme

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Asymmetric encryption appeared in 1976, with the publication of a book on cryptography by Whitfield Diffie and Mar-tin Hellman but also by Ralph Merkle at the same time. The asymmetric cryptosystem uses two keys : a public key and a private or secret key. When two people (named by convention Alice and Bob) want to exchange information via an open or public channel, Alice publishes a public key, Bob encodes his message with Alice's public key and makes the result of the encryption available to Alice. Then Alice, with her private key, retrieves the information encoded by Bob

15 1 State of the art

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SAsymmetric cryptography algorithms can be grouped into 4 major fami-16 lies. The best known are the RSA type cryptograms. This algorithm has eté 17 d written, in 1977 by Ronald Rivest, Adi Shamiret Leonard Adleman. There are 18 also the elliptic curve cryptograms pro-posed independently, by NealKoblitz and 19 Victor Miller in 1985. An elliptic curve is a special case of algebraic curve with 20 which one can make an addition, which allows to define a key exchange of type 21 Diffie-Hellman. There is also the El Gamal cipher which is an asymmetric cryp-22 tography algorithm based on the discrete logarithm problem created by the 23 Egyptian Taher Elgamal, doctoral student of Stanford University. Then to finish 24 there are also several cryptosystems based on the famous knapsack problem 25

²⁶ 2 Préambule

I do not claim that this proposal is secure, weak or mathematically exploitable or realistic. I wish to propose an asymmetric cryptography algorithm with the factorization of public keys does not allow to break the system.

³⁰ 3 Optional non-academic mathematics

To understand this proposal I will propose to you to leave the academic field,an integer is not just a combination of prime numbers.

$$Syn_n = \begin{pmatrix} (n)mod(2) = \{0,1\} \\ (n)mod(3) = \{0,1,2\} \\ (n)mod(5) = \{0,1,2,3,4\} \\ (n)mod(7) = \{0,1,2,3,4,5,6 \\ & \cdots \\ & & \cdots \\ (n)mod(q_{max}) = \{0,\cdots,(q_{max}-1)\} \end{pmatrix}$$

Here I consider an integer as a container which has several values, and each
different integer has its own values and properties, for example a prime number
has no zero.end of this side note, but before I add a footnote.¹

³⁶ 4 Asymmetric Cryptography algorithm

Is under development but the general scheme is as follows, Alice draws an
 integer at random n

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$$n = 12345 \cdot 101$$

 $(n+1)mod(101) = 1$
 $(n+1)mod(97) = 8$

 $_{41}$ here the private keys have the 2 integers (101, 97), and the public key

 $_{42} \quad (n+1) = 1246846.$

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Bob uses the public key Alice by multiplying it to change all the values and
then adds his msg and adds noise so as not to disturb his msg.

 $msg = 99, k = 5, (1246846 \cdot k) + msg + 2 \cdot 3 \cdot 5 \cdot 7 \cdot 11 \dots 101 \cdot 103 \cdot 107 \cdot 109 \cdot 113 \cdot 1134564646 + 20 \cdot 109 \cdot 109 \cdot 113 \cdot 1134564646 + 20 \cdot 109 \cdot 109 \cdot 113 \cdot 1134564646 + 20 \cdot 109 \cdot 109 \cdot 113 \cdot 1134564646 + 20 \cdot 109 \cdot 109 \cdot 113 \cdot 1134564646 + 20 \cdot 109 \cdot 109 \cdot 113 \cdot 1134564646 + 20 \cdot 109 \cdot 109 \cdot 113 \cdot 1134564646 + 20 \cdot 109 \cdot 109 \cdot 113 \cdot 1134564646 + 20 \cdot 109 \cdot 109 \cdot 109 \cdot 113 \cdot 1134564646 + 20 \cdot 109 \cdot 109 \cdot 113 \cdot 1134564646 + 20 \cdot 109 \cdot 109 \cdot 109 \cdot 109 \cdot 109 \cdot 113 \cdot 1134564646 + 20 \cdot 109 \cdot 109$

⁴⁶ Alice finds Bob's message because

$$\frac{(publicBob)mod(97) - (publicBob)mod(101)}{(8-1)} = k$$

⁴⁷ here and for the moment I notice that any factorization of the numbers public
⁴⁸ will not be of any use

^{1.} I propose you to use this representation on several different couple of twin primes and apprehend thereafter the conjecture on the twin primes

49 5 Academic Mathematical Démonstration

Pgcd(PublicKeyAlice, PublicKeyBob) = 1

 $(2 \cdot 3 \cdot 5 \cdot 7 \cdot 11 \dots \cdot P_n) mod(PrivateKeyAlice) = 0$

54 6 Author's note

No need to go further since I haven't yet found a fast way to generate noise, if the private keys have the 2 integers of value 2⁵¹².

57 Références

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51 52 53

- 59 [2]
- 60 [3]
- 61 [4]
- 62 [5]